



### 3 Primary Scientific Question

Is the standard deviation an adequate index for spread in the data?

### 4 Data Example

Standard deviations (SDs) are often used for summarizing the spread of the data from a sample. If the spread in the data is small, then the same will be true for the standard deviation. Underneath the calculation is illustrated with the help of a data example.

$$\begin{array}{l}
 55 \\
 54 \\
 51 \\
 55 \\
 53 \\
 53 \\
 54 \\
 \underline{52}+ \\
 \text{Mean } \dots \Rightarrow \dots / 8 = 53.375
 \end{array}$$

SD=

$$\begin{array}{l}
 55 \quad (55-53.375)^2 \\
 54 \quad (54-53.375)^2 \\
 51 \quad (51-53.375)^2 \\
 55 \quad (55-53.375)^2 \\
 53 \quad (53-53.375)^2 \\
 53 \quad (53-53.375)^2 \\
 54 \quad (54-53.375)^2 \\
 52 \quad \underline{(52-53.375)^2}+ \\
 \text{SD} = \dots \Rightarrow \dots / (n-1) \Rightarrow \sqrt{\dots} \Rightarrow 1.407885953
 \end{array}$$

### 5 Calculate Standard Deviations

Each scientific pocket calculator has a mode for data-analysis. It is helpful to calculate in a few minutes the mean and standard deviation of a sample.

Calculate standard deviation: mean = 53.375 SD = 1.407885953

The next steps are required:

Casio fx-825 scientific

On ... .mode...shift...AC...55...M+...54...M+...51...M+...55...  
M+...53...M+...53...M+...54...M+...52...M+...shift...[x]...shift...  
 $\sigma_{xn-1}$

Texas TI-30 scientific

On...55... $\Sigma$ +...54... $\Sigma$ +...51... $\Sigma$ +...55...  $\Sigma$ +...53... $\Sigma$ +...53... $\Sigma$   
+...54...  $\Sigma$ +...52... $\Sigma$ +...2nd...x...2nd... $\sigma_{xn-1}$

Sigma AK 222 and Commodoor

On ... 2ndf ... on ... 55 ... M+ ... 54 ... M+ ... 51 ... M+ ... 55 ... M+ ... 53 ... M+  
... 53 ... M+ ... 54 ... M+ ... 52 ... M+ ... x=>M ... MR

Calculator: Electronic Calculator

On...mode...2...55...M+...54...M+...51...M+...55...M+...53...M  
+...53...M+...54...M+...52...M+...Shift...S-var...1...=...  
(mean) ...Shift...S-var... 3 ... (sd)

## 6 Conclusion

Repeated measures have a central tendency and tendency to depart from the expected central values. In order to estimate the magnitude of the departures from the averages an index is needed. The add-up sum of the squared departures is used for the purpose, and is called the variance. The square root of the variance is called the standard deviation. This chapter shows how pocket calculators can be used for computation of standard deviations. Sometimes, data files are skewed, and mean values do not mean too much. Instead the modus (the frequentest value) or the median (the value in the middle) are more meaningful (see Chap. 27).

Example:

What is the mean value, what is the SD?

- 5
- 4
- 5
- 4
- 5
- 4
- 5
- 4

## 7 Note

More background, theoretical and mathematical information of means, variances, standard deviations, and standard errors (of the mean) is given in *Statistics applied to clinical studies* 5th edition, Chap. 1, Springer Heidelberg Germany, 2012, from the same authors.